

Lecture 23

CS 6260 Automated Planning and Learning

LOCM₂

Department of Computer Science and Engineering

Indian Institute of Technology Madras



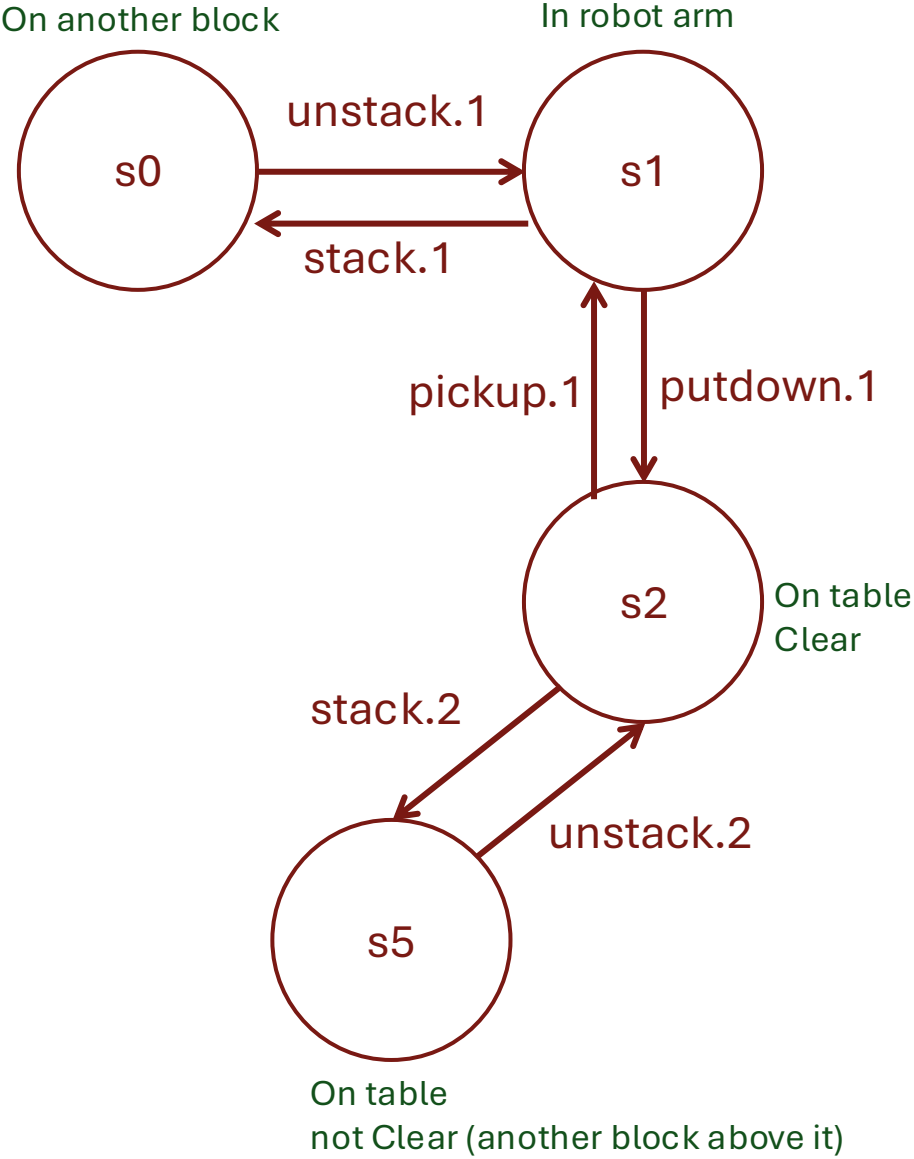
Logistics

Logistics

- 3 Exams:
 1. [Quiz 1] Feb 19: 08:00 AM – 08:50 AM
 2. [Quiz 2] Apr 10: 05:00 PM – 05:50 PM
 3. [End Sem] May 12
- Office Hours: 1 hour after class every week Tu, W, Th

Recap: LOCM

Inducing FSMs



		Transition	Start	End
A		unstack.1	S ₀	S ₁
		putdown.1	S ₁	S ₂
		pickup.1	S ₂	✗ ₃ =S ₁
		stack.1	✗ ₃ S ₁	✗ ₄ =S ₀
		unstack.2	S ₅	✗ ₆ =S ₂
B		pickup.1	✗ ₆ S ₂	✗ ₇ S ₃
		stack.1	S ₃	✗ ₄ =S ₀
		unstack.1	S ₀	S ₁
		putdown.1	S ₁	S ₂
		stack.2	S ₂	✗ ₇ =S ₅
C		stack.2	S ₂	✗ ₇ =S ₅
		unstack.2	S ₅	S ₂
		pickup.1	S ₂	✗ ₃ =S ₁
		putdown.1	S ₁	S ₂

0	Sort Formation
1	Induce FSMs
2	Zero Analysis
3	Parameterize FSMs
4	Create & Merge Params
5	Remove Flawed Params
6	Static Preconditions
7	Output PDDL Schema

#	Action	arg1	arg2
1.	unstack	A	B
2.	putdown	A	-
3.	pickup	B	-
4.	stack	B	C
5.	unstack	B	C
6.	putdown	B	-
7.	pickup	A	-
8.	stack	A	B
9.	pickup	C	-
10	putdown	C	-

LOCM₂

Generalised Domain Model Acquisition from Action Traces

Stephen Cresswell and Peter Gregory

ICAPS 2011

<https://ojs.aaai.org/index.php/ICAPS/article/view/13476/13325>

LOCM₂

LOCM

7 Steps + Sort Formation

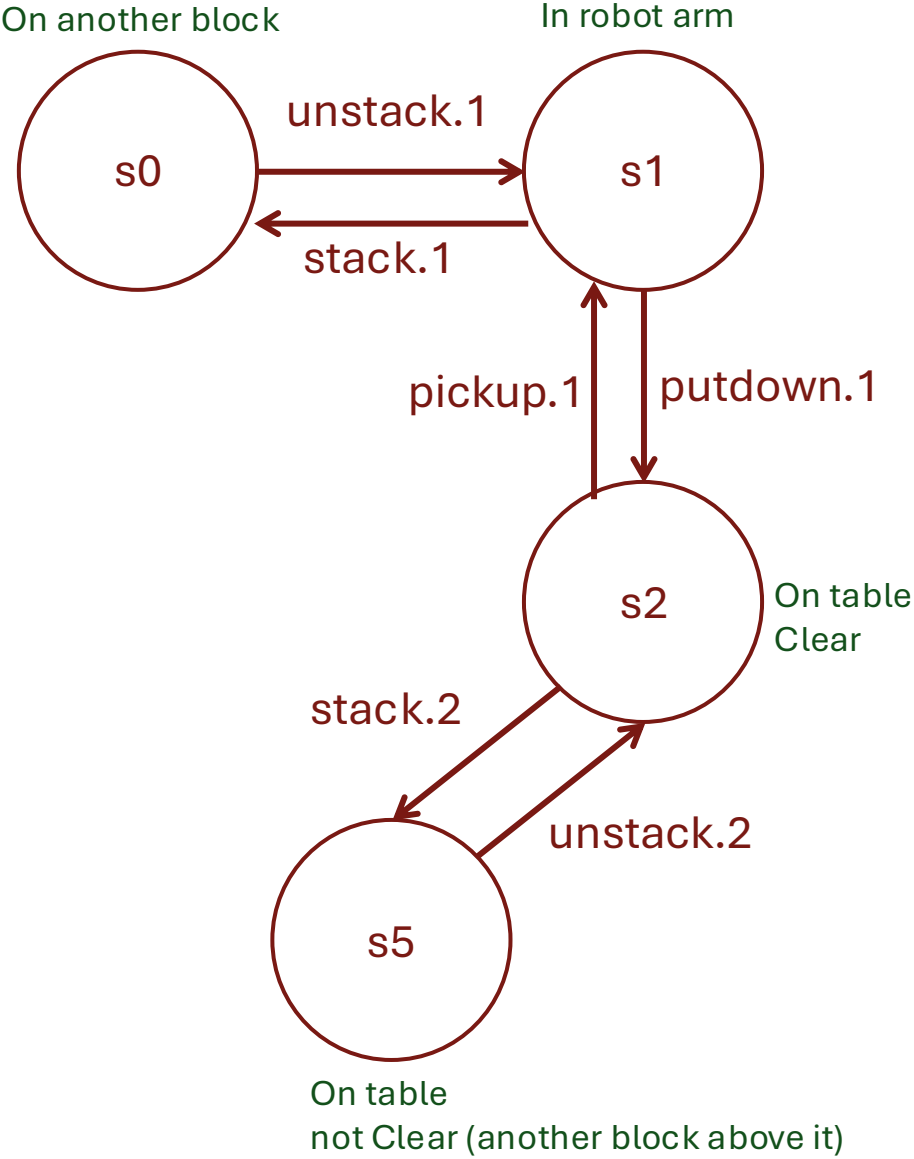
LOCM₂



0	Sort Formation
1	Induce FSMs
2	Zero Analysis
3	Parameterize FSMs
4	Create & Merge Params
5	Remove Flawed Params
6	Static Preconditions
7	Output PDDL Schema

Do we need more than one
FSM for each sort?

LOCM2



LOCM2



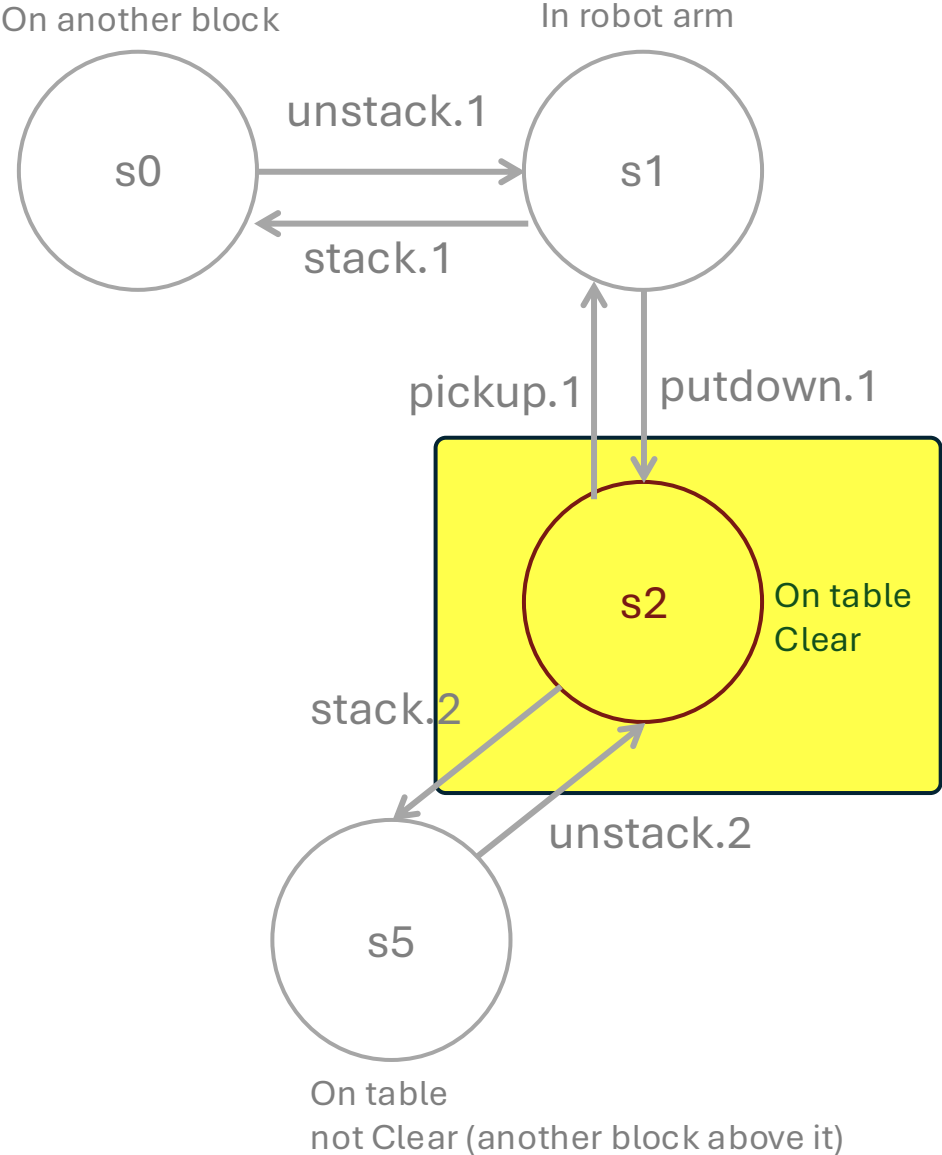
LOCM

7 Steps + Sort Formation

0	Sort Formation
1	Induce FSMs
2	Zero Analysis
3	Parameterize FSMs
4	Create & Merge Params
5	Remove Flawed Params
6	Static Preconditions
7	Output PDDL Schema

Do we need more than one
FSM for each sort?

LOCM2



LOCM2



LOCM

7 Steps + Sort Formation

0	Sort Formation
1	Induce FSMs
2	Zero Analysis
3	Parameterize FSMs
4	Create & Merge Params
5	Remove Flawed Params
6	Static Preconditions
7	Output PDDL Schema

Do we need more than one
FSM for each sort?

LOCM2

- Get unique transitions
 1. unstack.1
 2. putdown.1
 3. pickup.1
 4. stack.1
 5. unstack.2
 6. stack.2
- Create transition matrix

	Transition	Start	End
A	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
	pickup.1	S_2	S_3 = S_1
	stack.1	S_3 S_1	S_4 = S_0
B	unstack.2	S_5	S_6 = S_2
	pickup.1	S_6 S_2	S_7 S_3
	stack.1	S_3	S_4 = S_0
	unstack.1	S_0	S_1
C	putdown.1	S_1	S_2
	stack.2	S_2	S_7 = S_5
	stack.2	S_2	S_7 = S_5
	unstack.2	S_5	S_2
	pickup.1	S_2	S_3 = S_1
	putdown.1	S_1	S_2

LOCM2

- Create transition matrix

	u.1	pu.1	pi.1	s.1	s.2	u.2
unstack.1						
putdown.1						
pickup.1						
stack.1						
stack.2						
unstack.2						

- Mark consecutive pairs as (r,c)

	Transition	Start	End
A	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
	pickup.1	S_2	$\times S_3 = S_1$
	stack.1	$\times S_3 = S_1$	$\times S_4 = S_0$
B	unstack.2	S_5	$\times S_6 = S_2$
	pickup.1	$\times S_6 = S_2$	$\times S_7 = S_3$
	stack.1	S_3	$\times S_4 = S_0$
	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
C	stack.2	S_2	$\times S_7 = S_5$
	stack.2	S_2	$\times S_7 = S_5$
	unstack.2	S_5	S_2
	pickup.1	S_2	$\times S_3 = S_1$
	putdown.1	S_1	S_2

LOCM2

- Create transition matrix

	u.1	pu.1	pi.1	s.1	s.2	u.2
unstack.1		x				
putdown.1						
pickup.1						
stack.1						
stack.2						
unstack.2						

- Mark consecutive pairs as (r,c)

	Transition	Start	End
A	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
	pickup.1	S_2	S_3 $= S_1$
	stack.1	S_3 S_1	S_4 $= S_0$
B	unstack.2	S_5	S_6 $= S_2$
	pickup.1	S_6 S_2	S_7 S_3
	stack.1	S_3	S_4 $= S_0$
	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
C	stack.2	S_2	S_7 $= S_5$
	stack.2	S_2	S_7 $= S_5$
	unstack.2	S_5	S_2
	pickup.1	S_2	S_3 $= S_1$
	putdown.1	S_1	S_2

LOCM2

- Create transition matrix

	u.1	pu.1	pi.1	s.1	s.2	u.2
unstack.1		x				
putdown.1			x			
pickup.1						
stack.1						
stack.2						
unstack.2						

- Mark consecutive pairs as (r,c)

	Transition	Start	End
A	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
	pickup.1	S_2	$\times_{S_3=S_1}$
	stack.1	$\times_{S_3=S_1}$	$\times_{S_4=S_0}$
B	unstack.2	S_5	$\times_{S_6=S_2}$
	pickup.1	$\times_{S_6=S_2}$	$\times_{S_7=S_3}$
	stack.1	S_3	$\times_{S_4=S_0}$
	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
C	stack.2	S_2	$\times_{S_7=S_5}$
	stack.2	S_2	$\times_{S_7=S_5}$
	unstack.2	S_5	S_2
	pickup.1	S_2	$\times_{S_3=S_1}$
	putdown.1	S_1	S_2

LOCM2

- Create transition matrix

	u.1	pu.1	pi.1	s.1	s.2	u.2
unstack.1		x				
putdown.1			x			
pickup.1				x		
stack.1						
stack.2						
unstack.2						

- Mark consecutive pairs as (r,c)

	Transition	Start	End
A	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
	pickup.1	S_2	S_3 $= S_1$
	stack.1	S_3 S_1	S_4 $= S_0$
B	unstack.2	S_5	S_6 $= S_2$
	pickup.1	S_6 S_2	S_7 S_3
	stack.1	S_3	S_4 $= S_0$
	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
	stack.2	S_2	S_7 $= S_5$
C	stack.2	S_2	S_7 $= S_5$
	unstack.2	S_5	S_2
	pickup.1	S_2	S_3 $= S_1$
	putdown.1	S_1	S_2

LOCM2

- Create transition matrix

	u.1	pu.1	pi.1	s.1	s.2	u.2
unstack.1		x				
putdown.1			x			
pickup.1				x		
stack.1						
stack.2						
unstack.2		x				

- Mark consecutive pairs as (r,c)

	Transition	Start	End
A	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
	pickup.1	S_2	$S_3=S_1$
	stack.1	$S_3=S_1$	$S_4=S_0$
B	unstack.2	S_5	$S_6=S_2$
	pickup.1	$S_6=S_2$	$S_7=S_3$
	stack.1	S_3	$S_4=S_0$
	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
C	stack.2	S_2	$S_7=S_5$
	stack.2	S_2	$S_7=S_5$
	unstack.2	S_5	S_2
	pickup.1	S_2	$S_3=S_1$
	putdown.1	S_1	S_2

LOCM2

- Create transition matrix

	u.1	pu.1	pi.1	s.1	s.2	u.2
unstack.1		x				
putdown.1			x			
pickup.1				x		
stack.1						
stack.2						
unstack.2		x				

- Mark consecutive pairs as (r,c)

	Transition	Start	End
A	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
	pickup.1	S_2	S_3 $= S_1$
	stack.1	S_3 S_1	S_4 $= S_0$
B	unstack.2	S_5	S_6 $= S_2$
	pickup.1	S_6 S_2	S_7 S_3
	stack.1	S_3	S_4 $= S_0$
	unstack.1	S_0	S_1
C	putdown.1	S_1	S_2
	stack.2	S_2	S_7 $= S_5$
	stack.2	S_2	S_7 $= S_5$
	unstack.2	S_5	S_2
	pickup.1	S_2	S_3 $= S_1$
	putdown.1	S_1	S_2

LOCM2

- Create transition matrix

	u.1	pu.1	pi.1	s.1	s.2	u.2
unstack.1		x				
putdown.1			x			
pickup.1				x		
stack.1	x					
stack.2						
unstack.2		x				

- Mark consecutive pairs as (r,c)

	Transition	Start	End
A	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
	pickup.1	S_2	S_3 $= S_1$
	stack.1	S_3 S_1	S_4 $= S_0$
B	unstack.2	S_5	S_6 $= S_2$
	pickup.1	S_6 S_2	S_7 S_3
	stack.1	S_3	S_4 $= S_0$
	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
C	stack.2	S_2	S_7 $= S_5$
	stack.2	S_2	S_7 $= S_5$
	unstack.2	S_5	S_2
	pickup.1	S_2	S_3 $= S_1$
	putdown.1	S_1	S_2

LOCM2

- Create transition matrix

	u.1	pu.1	pi.1	s.1	s.2	u.2
unstack.1		x				
putdown.1			x			
pickup.1				x		
stack.1	x					
stack.2						
unstack.2		x				

- Mark consecutive pairs as (r,c)

	Transition	Start	End
A	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
	pickup.1	S_2	S_3 $= S_1$
	stack.1	S_3 S_1	S_4 $= S_0$
B	unstack.2	S_5	S_6 $= S_2$
	pickup.1	S_6 S_2	S_7 S_3
	stack.1	S_3	S_4 $= S_0$
	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
C	stack.2	S_2	S_7 $= S_5$
	stack.2	S_2	S_7 $= S_5$
	unstack.2	S_5	S_2
	pickup.1	S_2	S_3 $= S_1$
	putdown.1	S_1	S_2

LOCM2

- Create transition matrix

	u.1	pu.1	pi.1	s.1	s.2	u.2
unstack.1		x				
putdown.1			x		x	
pickup.1				x		
stack.1	x					
stack.2						
unstack.2		x				

- Mark consecutive pairs as (r,c)

	Transition	Start	End
A	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
	pickup.1	S_2	$S_3=S_1$
	stack.1	$S_3=S_1$	$S_4=S_0$
B	unstack.2	S_5	$S_6=S_2$
	pickup.1	$S_6=S_2$	$S_7=S_3$
	stack.1	S_3	$S_4=S_0$
	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
	stack.2	S_2	$S_7=S_5$
C	stack.2	S_2	$S_7=S_5$
	unstack.2	S_5	S_2
	pickup.1	S_2	$S_3=S_1$
	putdown.1	S_1	S_2

LOCM2

- Create transition matrix

	u.1	pu.1	pi.1	s.1	s.2	u.2
unstack.1		x				
putdown.1			x		x	
pickup.1				x		
stack.1	x					
stack.2						x
unstack.2		x				

- Mark consecutive pairs as (r,c)

	Transition	Start	End
A	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
	pickup.1	S_2	S_3 $= S_1$
	stack.1	S_3 S_1	S_4 $= S_0$
B	unstack.2	S_5	S_6 $= S_2$
	pickup.1	S_6 S_2	S_7 S_3
	stack.1	S_3	S_4 $= S_0$
	unstack.1	S_0	S_1
C	putdown.1	S_1	S_2
	stack.2	S_2	S_7 $= S_5$
	stack.2	S_2	S_7 $= S_5$
	unstack.2	S_5	S_2
	pickup.1	S_2	S_3 $= S_1$
	putdown.1	S_1	S_2

LOCM2

- Create transition matrix

	u.1	pu.1	pi.1	s.1	s.2	u.2
unstack.1		x				
putdown.1			x		x	
pickup.1				x		
stack.1	x					
stack.2						x
unstack.2			x			

- Mark consecutive pairs as (r,c)

	Transition	Start	End
A	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
	pickup.1	S_2	S_3 $= S_1$
	stack.1	S_3 S_1	S_4 $= S_0$
B	unstack.2	S_5	S_6 $= S_2$
	pickup.1	S_6 S_2	S_7 S_3
	stack.1	S_3	S_4 $= S_0$
	unstack.1	S_0	S_1
C	putdown.1	S_1	S_2
	stack.2	S_2	S_7 $= S_5$
	stack.2	S_2	S_7 $= S_5$
	unstack.2	S_5	S_2
	pickup.1	S_2	S_3 $= S_1$
	putdown.1	S_1	S_2

LOCM2

- Create transition matrix

	u.1	pu.1	pi.1	s.1	s.2	u.2
unstack.1		x				
putdown.1			x		x	
pickup.1		x		x		
stack.1	x					
stack.2						x
unstack.2		x				

- Mark consecutive pairs as (r,c)

	Transition	Start	End
A	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
	pickup.1	S_2	S_3 $= S_1$
	stack.1	S_3 S_1	S_4 $= S_0$
B	unstack.2	S_5	S_6 $= S_2$
	pickup.1	S_6 S_2	S_7 S_3
	stack.1	S_3	S_4 $= S_0$
	unstack.1	S_0	S_1
C	putdown.1	S_1	S_2
	stack.2	S_2	S_7 $= S_5$
	stack.2	S_2	S_7 $= S_5$
	unstack.2	S_5	S_2
	pickup.1	S_2	S_3 $= S_1$
	putdown.1	S_1	S_2

LOCM2

- Create transition matrix

	u.1	pu.1	pi.1	s.1	s.2	u.2
unstack.1		X				
putdown.1			X		X	
pickup.1		X		X		
stack.1	X					
stack.2						X
unstack.2			X			

- Mark consecutive pairs as (r,c)
- Find holes in the matrix

	Transition	Start	End
A	unstack.1	S ₀	S ₁
	putdown.1	S ₁	S ₂
	pickup.1	S ₂	X ₃ =S ₁
	stack.1	X ₃ S ₁	X ₄ =S ₀
B	unstack.2	S ₅	X ₆ =S ₂
	pickup.1	X ₆ S ₂	X ₇ S ₃
	stack.1	S ₃	X ₄ =S ₀
	unstack.1	S ₀	S ₁
C	putdown.1	S ₁	S ₂
	stack.2	S ₂	X ₇ =S ₅
	stack.2	S ₂	X ₇ =S ₅
	unstack.2	S ₅	S ₂
	pickup.1	S ₂	X ₃ =S ₁
	putdown.1	S ₁	S ₂

LOCM2: Finding Holes in the Matrix

Input: Matrix M : the full set of transitions

Output: H — set of holes

1. Initialize $H = \{\}$
2. For every pair of rows r and r' in M ($r \neq r'$):
 - For every pair of columns c and c' in M ($c \neq c'$):
 - If $M[r][c] = x$ (r is followed by c)
 - AND $M[r][c'] = x$ (r is also followed by c')
 - AND $M[r'][c] = x$ (r' is followed by c)
 - AND $M[r'][c'] \neq x$: (but r' is NOT followed by c')
 - Add (r', c') to H ← this is a hole
3. Return H

	u.1	pu.1	pi.1	s.1	s.2	u.2
unstack.1		X				
putdown.1			X		X	
pickup.1		X		X		
stack.1	X					
stack.2						X
unstack.2			X			

	Transition	Start	End
A	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
	pickup.1	S_2	X $_3=S_1$
	stack.1	X $_3 S_1$	X $_4=S_0$
B	unstack.2	S_5	X $_6=S_2$
	pickup.1	X $_6 S_2$	X $_7 S_3$
	stack.1	S_3	X $_4=S_0$
	unstack.1	S_0	S_1
C	putdown.1	S_1	S_2
	stack.2	S_2	X $_7=S_5$
	stack.2	S_2	X $_7=S_5$
	unstack.2	S_5	S_2
	pickup.1	S_2	X $_3=S_1$
	putdown.1	S_1	S_2

LOCM2: Finding Holes in the Matrix

Input: Matrix M : the full set of transitions

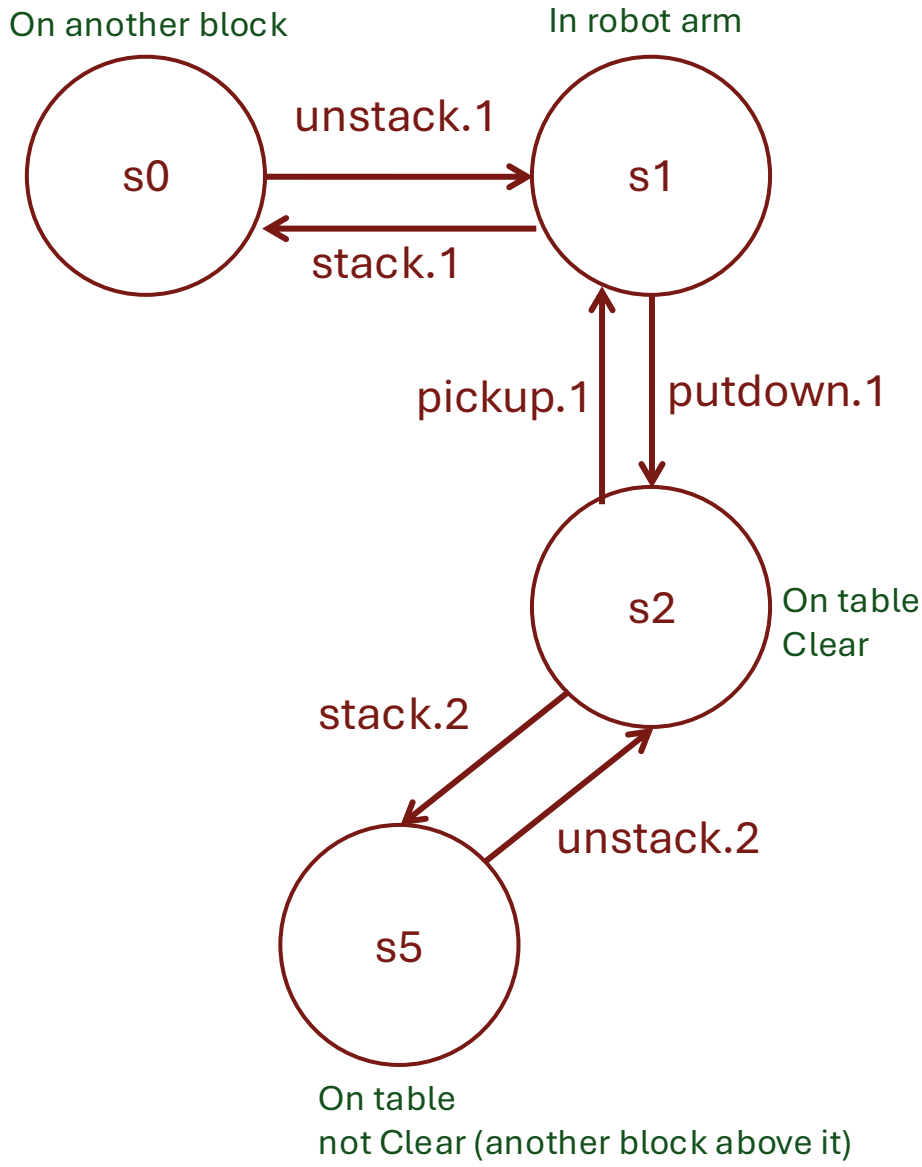
Output: H — set of holes

1. Initialize $H = \{\}$
2. For every pair of rows r and r' in M ($r \neq r'$):
 - For every pair of columns c and c' in M ($c \neq c'$):
 - If $M[r][c] = x$ (r is followed by c)
 - AND $M[r][c'] = x$ (r is also followed by c')
 - AND $M[r'][c] = x$ (r' is followed by c)
 - AND $M[r'][c'] \neq x$: (but r' is NOT followed by c')
 - Add (r', c') to H ← this is a hole
3. Return H

	u.1	pu.1	pi.1	s.1	s.2	u.2
unstack.1		X				
putdown.1			X		X	
pickup.1		X		X		
stack.1	X					
stack.2						X
unstack.2			X			

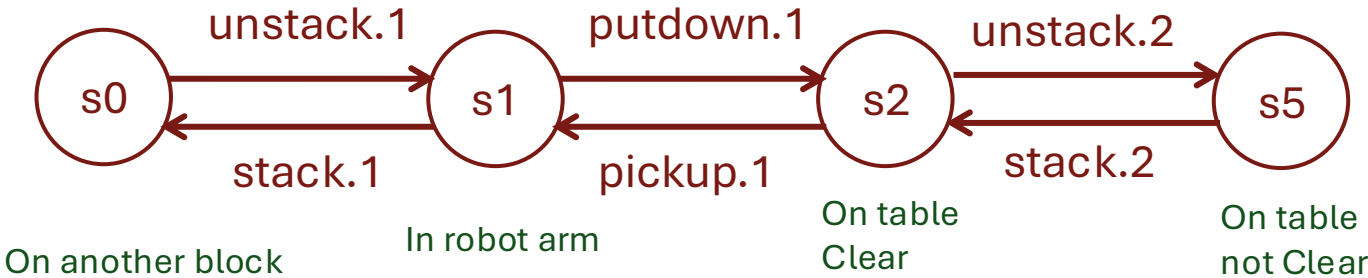
	Transition	Start	End
A	unstack.1	S_0	S_1
	putdown.1	S_1	S_2
	pickup.1	S_2	S_3 = S_1
	stack.1	S_3 S_1	S_4 = S_0
B	unstack.2	S_5	S_6 = S_2
	pickup.1	S_6 S_2	S_7 S_3
	stack.1	S_3	S_4 = S_0
	unstack.1	S_0	S_1
C	putdown.1	S_1	S_2
	stack.2	S_2	S_7 = S_5
	stack.2	S_2	S_7 = S_5
	unstack.2	S_5	S_2
	pickup.1	S_2	S_3 = S_1
	putdown.1	S_1	S_2

LOCM2: Analyzing Holes in the Matrix



		Transition	Start	End
A	{	unstack.1	S ₀	S ₁
		putdown.1	S ₁	S ₂
		pickup.1	S ₂	S₃ = S ₁
		stack.1	S₃ S ₁	S₄ = S ₀
B	{	unstack.2	S ₅	S₆ = S ₂
		pickup.1	S₆ S ₂	S₇ S ₃
		stack.1	S ₃	S₄ = S ₀
		unstack.1	S ₀	S ₁
C	{	putdown.1	S ₁	S ₂
		stack.2	S ₂	S₇ = S ₅
		stack.2	S ₂	S₇ = S ₅
		unstack.2	S ₅	S ₂
	{	pickup.1	S ₂	S₃ = S ₁
		putdown.1	S ₁	S ₂

LOCM2: Analyzing Holes in the Matrix



	u.1	pu.1	pi.1	s.1	s.2	u.2
unstack.1		X				
putdown.1			X		X	
pickup.1		X		X		
stack.1	X					
stack.2						X
unstack.2			X			

Transition	Start	End
unstack.1	S ₀	S ₁
putdown.1	S ₁	S ₂
pickup.1	S ₂	S₃ = S ₁
stack.1	S₃ S ₁	S₄ = S ₀
unstack.2	S ₅	S₆ = S ₂
pickup.1	S₆ S ₂	S₇ S ₃
stack.1	S ₃	S₄ = S ₀
unstack.1	S ₀	S ₁
putdown.1	S ₁	S ₂
stack.2	S ₂	S₇ = S ₅
stack.2	S ₂	S₇ = S ₅
unstack.2	S ₅	S ₂
pickup.1	S ₂	S₃ = S ₁
putdown.1	S ₁	S ₂

LOCM2: Creating FSMs from Holes

- Input: T_{all} : all observed transitions for the sort; H : set of holes, each hole is an unordered pair $\{t1, t2\}$ of transitions;
 P : set of observed consecutive pairs $(t1, t2)$; E : the full example sequences

- Output: S : set of transition sets, each defining one FSM

1. $S \leftarrow \emptyset$
2. for each hole h in H :
3. if there is already some $s \in S$ such that $h \subseteq s$:
4. skip #this hole is already covered
5. else:
6. by breadth-first search, find the smallest set s such that: $h \subseteq s$ and $s \subset T_{all}$ and
the transition matrix formed from s using all pairs $(t1, t2) \in P$ with $\{t1, t2\} \subseteq s$ is well-formed and
 s is consistent with the example sequences E (no inappropriate dead-ends)
7. if such s found:
8. $S \leftarrow S \cup \{s\}$
9. else:
10. discard #no valid subset covers this hole (the all-transitions machine will handle it)
11. for any two sets $s1, s2 \in S$:
12. if $s1 \subset s2$:
13. $S \leftarrow S \setminus \{s1\}$
14. $S \leftarrow S \cup \{T_{all}\}$
15. return S

LOCM2

- Continue normally after new FSM(s) generated

LOCM2



LOCM

7 Steps + Sort Formation

0	Sort Formation
1	Induce FSMs
2	Zero Analysis
3	Parameterize FSMs
4	Create & Merge Params
5	Remove Flawed Params
6	Static Preconditions
7	Output PDDL Schema